

Statistics

Lecture 29



Feb 19-8:47 AM

LA Times **claims** that **standard deviation** of Salaries of **all** nurses in LA is **below \$500**.

$$\sigma < 500$$

↑
 H_1

I surveyed **10 nurses** in LA, **Standard Deviation** of their Salaries was **\$475**.

Test the claim $\alpha \rightarrow .05$

$$n = 10$$

$$S = 475$$

$$H_0: \sigma \geq 500$$

$$H_1: \sigma < 500 \text{ claim, LTT}$$

$$\chi^2 = \frac{(n-1) \cdot S^2}{\sigma^2}$$

$$= \frac{(10-1) \cdot 475^2}{500^2}$$

$$= 8.123$$



$$P\text{-Value} = \chi^2_{df}(0, 8.123, 9) = .478$$

$$P\text{-Value} > \alpha$$

$$.478 > .05$$

H_0 valid
 H_1 invalid

Invalid claim

Reject the claim

Jun 4-1:48 PM

12 female nurses had a standard deviation of \$500 in their salaries. $n=12$, $S=500$

10 male nurses had a standard deviation of \$400 in their salaries. $n=10$, $S=400$

use $\alpha=.1$ to test the claim that there is a difference in standard deviations of all salaries between females & males.

$$H_0: \sigma_1 = \sigma_2$$

$$H_1: \sigma_1 \neq \sigma_2 \text{ claim, TTT}$$

$$\text{CTS } F = 1.5625$$

$$\text{P-value } p = .512 \checkmark$$

2-Samp F Test

Females	Males
$n_1=12$	$n_2=10$
$S_1=500$	$S_2=400$
$S_1 > S_2$	
$\text{ndf} = n_1 - 1 = 11$	
$\text{Ddf} = n_2 - 1 = 9$	

$$n_1=12, n_2=10$$

$$S_1=500, S_2=400$$

$$S_1 > S_2$$

$$\text{ndf} = n_1 - 1 = 11$$

$$\text{Ddf} = n_2 - 1 = 9$$

$$\text{P-value} > \alpha$$

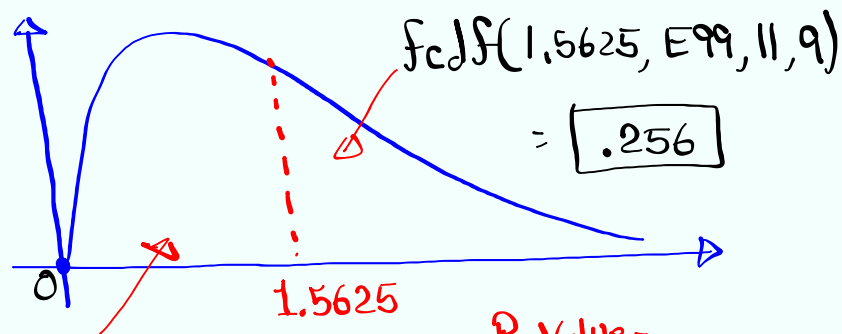
$$.512 > .1$$

H_0 valid, ~~H_0 invalid~~
Invalid claim
Reject the claim

Jun 4-1:57 PM

$$\text{CTS } F = 1.5625 \quad \text{ndf} = 11 \quad \text{Ddf} = 9$$

TTT Find p-value.



$$f_{cdf}(0, 1.5625, 11, 9) = .744$$

P-value =

2 * Smaller one =

$$2(.256) = .512$$

Jun 4-2:06 PM

Chart below shows ages of randomly selected nurses in different hospitals.

L1 USC	L2 UCLA	L3 LA General	L4 UCI Medical
32 38 45	28 33 48	46 52 60	29 32 35
29 36 40	30 35	45 55	25 40 36
48 50		58	

NO $\alpha \rightarrow .05$

Test the claim that all means are the same.

$K=4$ $ndf = K-1=3$

$H_0: \mu_1 = \mu_2 = \mu_3 = \mu_4$ claim

$n=25$ $Ddf = n-K=21$

H_1 : At least one is

different RTT

ANOVA(L1, L2, L3, L4)

CTS $F=10.097$

P-value $P=2.5 \times 10^{-4}$

P-value $< \alpha$
 $2.5 \times 10^{-4} < .05$

H_0 invalid \rightarrow Invalid claim

H_1 valid **Reject the claim**

Jun 4-2:11 PM

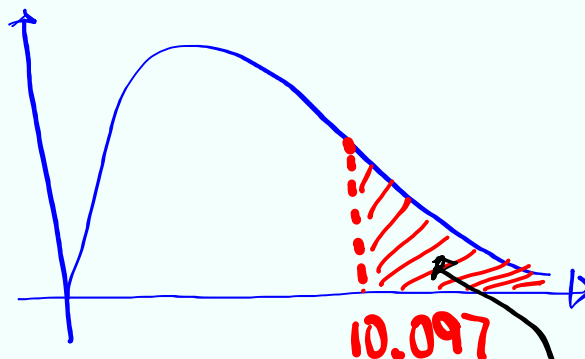
$ndf = 3$

$Ddf = 21$

CTS $F=10.097$

RTT

Find p-value



P-value = Area
 $Fcdf(10.097, \infty, 3, 21)$

$$= \boxed{2.5 \times 10^{-4}}$$

Jun 4-2:23 PM